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### 2007 Q6

6. The average cost of a long-distance call in the USA in 1985 was 41 cents per minute, and the average cost of a long-distance call in the USA in 2005 was 7 cents per minute. Find the approximate percent decrease in the cost per minute of a longdistance call.



- (A) 7
- **(B)** 17
- **(C)** 34
- **(D)** 41
- **(E)** 80
- 6. **(E)** The difference in the cost of a long-distance call per minute from 1985 to 2005 was 41 7 = 34 cents. The percent decrease is  $100 \times \frac{34}{41} \approx 100 \times \frac{32}{40} = 100 \times \frac{8}{10} = 80\%$ .

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#### 1989 Q7

- 7. If the value of 20 quarters and 10 dimes equals the value of 10 quarters and n dimes, then n =
  - A) 10
- B) 20
- C) 30
- D) 35
- E) 45
- 7. D The value of 20 quarters and 10 dimes is \$5.00 + \$1.00 = \$6.00. Since the value of 10 quarters is \$2.50, the remaining \$3.50 must consist of 35 dimes.

OR

We can think of the 20 - 10 = 10 quarters as being "traded in" for dimes. The value of 10 quarters, \$2.50, is 25 dimes. Combining them with the original 10 dimes gives a total of 35 dimes.

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OR

We can think of the 20 - 10 = 10 quarters as being "traded in" for dimes. The value of 10 quarters, \$2.50, is 25 dimes. Combining them with the original 10 dimes gives a total of 35 dimes.

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#### 2010 Q7

- 7. Using only pennies, nickels, dimes, and quarters, what is the smallest number of coins Freddie would need so he could pay any amount of money less than a dollar?
  - (A) 6 (B) 10 (C) 15 (D) 25 (E) 99



7. Answer (B): Four pennies are needed to make small change. Adding two nickels means that change up to fourteen cents can be made as efficiently as possible. Adding a dime extends the efficiency up to 24 cents. Adding three quarters permits any amount of change up to \$0.99.

4 pennies + 2 nickels + 1 dime + 3 quarters = 10 coins worth \$0.99

Note that 4 pennies, 1 nickel, 2 dimes, and 3 quarters also satisfies the requirements. For 10 to be the smallest number of coins, one must prove that 9 coins will not work. Freddie will still need at least 4 pennies and 1 nickel to make any amount up to 9. Freddie will still need at least 1 more nickel and 1 dime to make any amount up to 24. If Freddie chose only 2 quarters, then he would need at least 9 other coins (4 dimes, 1 nickel, and 4 pennies) to reach 99 cents. He would need at least 11 coins. Thus 10 is the smallest number of coins as shown above.

- 8. A store owner bought 1500 pencils at \$0.10 each. If he sells them for \$0.25 each, how many of them must he sell to make a profit of exactly \$100.00?
  - (A) 400
- (B) 667
- (C) 1000
- **(D)** 1500
- (E) 1900
- 8. (C) Since he bought 1500 pencils at \$0.10 each, he paid  $1500 \times \$0.10 = \$150$ . To make \$100 profit he must take in \$150 + \$100 = \$250. Therefore, selling the pencils for \$0.25 each, he must sell  $\$250 \div \$0.25 = 1000$  pencils.

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#### 1995 Q8

- 8. An American traveling in Italy wishes to exchange American money (dollars) for Italian money (lire). If 3000 lire = \$1.60, how many lire will the traveler receive in exchange for \$1.00?
  - (A) 180
- **(B)** 480
- **(C)** 1800
- **(D)** 1875
- (E) 4875

8. (D) 
$$$1.00 = $1.00 \times \frac{3000 \text{ lire}}{\$1.60} = 1875 \text{ lire}.$$

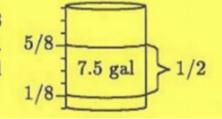
OR

$$\frac{\$1.00}{\$1.60} = \frac{5}{8}$$
, so \$1.00 is  $\frac{5}{8}$  of \$1.60. Thus, the number of line is  $\frac{5}{8}$  of 3000 or 1875 line.

OR.

Use the proportion 
$$\frac{3000 \text{ lire}}{160 \text{ cents}} = \frac{x \text{ lire}}{100 \text{ cents}}$$
. Solving for x gives 1875 lire.

- 10. When Walter drove up to the gasoline pump, he noticed that his gasoline tank was 1/8 full. He purchased 7.5 gallons of gasoline for \$10. With this additional gasoline, his gasoline tank was then 5/8 full. The number of gallons of gasoline his tank holds when it is full is
  - (A) 8.75
- **(B)** 10
- (C) 11.5
- **(D)** 15
- **(E)** 22.5
- 10. (D) The gasoline tank going from 1/8 to 5/8 full represents an increase of 5/8-1/8=1/2 tank. Since half a tank is 7.5 gallons, it follows that a full tank is  $2 \times 7.5 = 15$  gallons.



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#### 2002 Q8

Problems 8,9 and 10 use the data found in the accompanying paragraph and table:

# Juan's Old Stamping Grounds

Juan organizes the stamps in his collection by country and by the decade in which they were issued. The prices he paid for them at a stamp shop were: Brazil and France, 6¢ each, Peru 4¢ each, and Spain 5¢ each. (Brazil and Peru are South American countries and France and Spain are in Europe.)

# Number of Stamps by Decade

| Country | '50s | '60s | '70s | '80s |
|---------|------|------|------|------|
| Brazil  | 4    | 7    | 12   | 8    |
| France  | 8    | 4    | 12   | 15   |
| Peru    | 6    | 4    | 6    | 10   |
| Spain   | 3    | 9    | 13   | 9    |

Juan's Stamp Collection

- 8. How many of his European stamps were issued in the '80s?
  - **(A)** 9
- **(B)** 15
- **(C)** 18
- **(D)** 24
- **(E)** 42
- 8. (D) There are 15 French stamps and 9 Spanish stamps issued in the '80s. So there are 15 + 9 = 24 European stamps listed in the table in the '80s.

Problems 8,9 and 10 use the data found in the accompanying paragraph and table:

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Juan's Stamp Collection

- 9. His South American stamps issued before the '70s cost him
  - **(A)** \$0.40
- **(B)** \$1.06
- **(C)** \$1.80
- **(D)** \$2.38
- **(E)** \$2.64
- 9. **(B)** His South American stamps issued before the '70s include 4 + 7 = 11 from Brazil that cost  $11 \times \$0.06 = \$0.66$  and 6 + 4 = 10 from Peru that cost  $10 \times \$0.04 = \$0.40$ . Their total cost is \$0.66 + \$0.40 = \$1.06.

Problems 8,9 and 10 use the data found in the accompanying paragraph and table:

### Juan's Old Stamping Grounds

Juan organizes the stamps in his collection by country and by the decade in which they were issued. The prices he paid for them at a stamp shop were: Brazil and France, 6¢ each, Peru 4¢ each, and Spain 5¢ each. (Brazil and Peru are South American countries and France and Spain are in Europe.)

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| Peru    | 6             | 4    | 6    | 10   |
| Spain   | 3             | 9    | 13   | 9    |

Juan's Stamp Collection

- 10. **(E)** The '70s stamps cost: Brazil, 12(\$0.06) = \$0.72; Peru, 6(\$0.04) = \$0.24; France, 12(\$0.06) = \$0.72; Spain, 13(\$0.05) = \$0.65. The total is \$2.33 for the 43 stamps and the average price is  $\frac{\$2.33}{43} \approx \$0.054 \approx 5.5$ ¢.
- 10. **(E)** The '70s stamps cost: Brazil, 12(\$0.06) = \$0.72; Peru, 6(\$0.04) = \$0.24; France, 12(\$0.06) = \$0.72; Spain, 13(\$0.05) = \$0.65. The total is \$2.33 for the 43 stamps and the average price is  $\frac{\$2.33}{43} \approx \$0.054 \approx 5.5$ ¢.